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# Wide Area Neutral Atmosphere Models for GNSS Applications

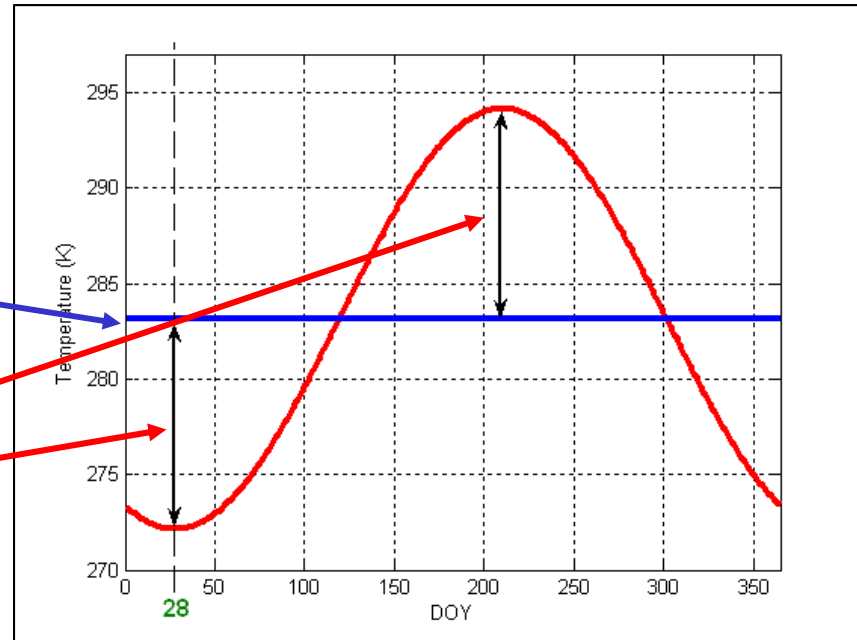
Geodetic Research Laboratory  
Department of Geodesy and Geomatics Engineering  
University of New Brunswick  
Fredericton, N.B.



# UNB Neutral Atmosphere Models



Average					
Latitude (degrees)	Pressure (mbar)	Temperature (K)	WVP* (mbar)	$\beta$ (K.km <sup>-1</sup> )	$\lambda$ (-)
15	1013.25	299.65	26.31	6.3	2.77
30	1017.25	294.15	21.79	6.05	3.15
45	1015.75	283.15	11.66	5.58	2.57
60	1011.75	272.15	6.78	5.39	1.81
75	1013.00	263.65	4.11	4.53	1.55
Amplitude					
Latitude (degrees)	Pressure (mbar)	Temperature (K)	WVP* (mbar)	$\beta$ (K.km <sup>-1</sup> )	$\lambda$ (-)
15	0.00	0.00	0.00	0.00	0.00
30	-3.75	7.00	8.25	0.25	0.33
45	-2.25	11.00	7.24	0.32	0.46
60	-1.75	15.00	5.36	0.81	0.74
75	-0.50	14.50	3.39	0.62	0.30



$$X_{\phi, \text{doy}} = \text{Avg}_{\phi} - \text{Amp}_{\phi} \cdot \cos\left(\left(\text{doy} - 28\right) \frac{2\pi}{365.25}\right)$$

$$d_h^z = \frac{10^{-6} k_1 R}{g_m} \cdot P_0 \cdot \left(1 - \frac{\beta H}{T_0}\right)^{\frac{g}{R\beta}}$$

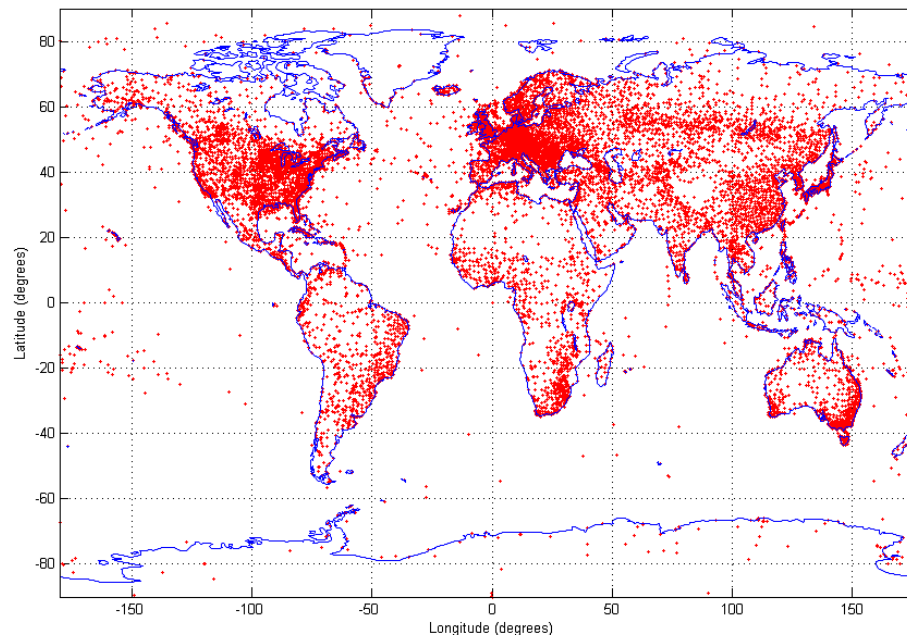
$$d_{nh}^z = \frac{10^{-6} (T_m k_2' + k_3) R}{g_m \lambda' - \beta R} \cdot \frac{e_0}{T_0} \cdot \left(1 - \frac{\beta H}{T_0}\right)^{\frac{\lambda' g}{R\beta} - 1}$$



# A new model based on wide area grids

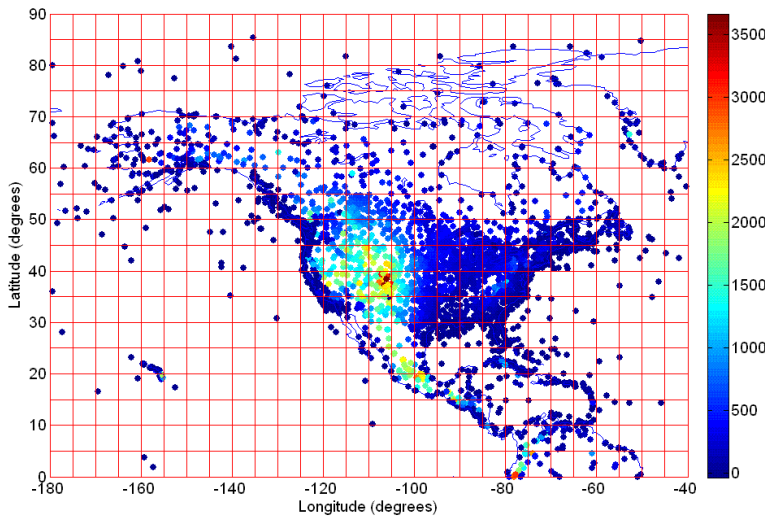
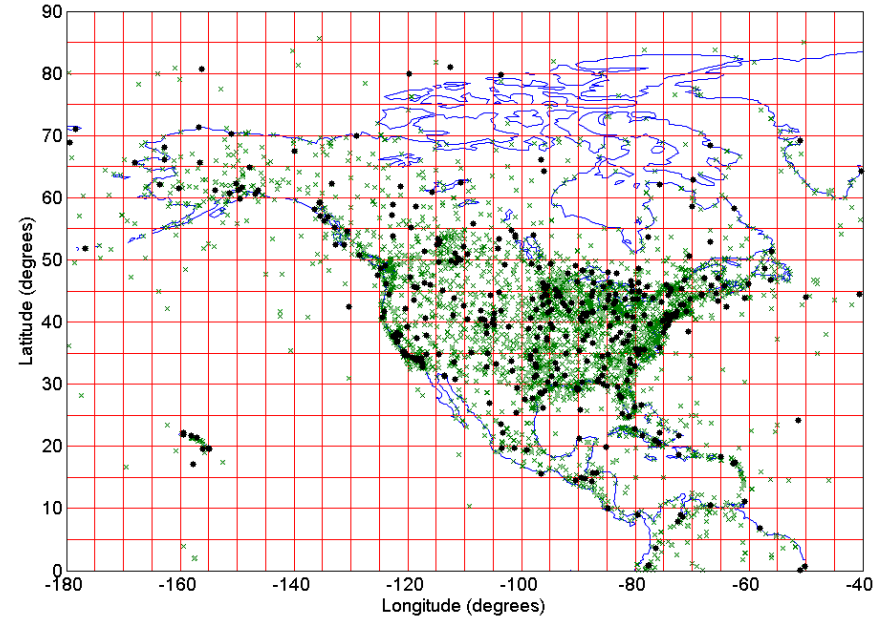
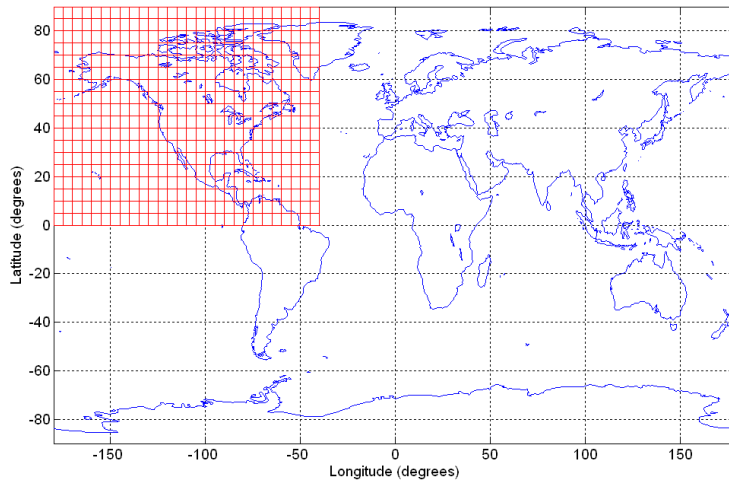


- Use the same physical assumptions of previous versions
- 2D Grid instead of latitude band look-up table
- Calibration dataset: Integrated Surface Hourly (ISH) data base (17415 stations - worldwide) – provided by NOAA
- Jan 2001 – Dec 2005





# Wide area model for North America: UNBw.na



- Calibration (3600) and test (400) stations
- Average and amplitude for T, P, RH are determined
- Main goal: better performance for areas where UNB3m has performance below average



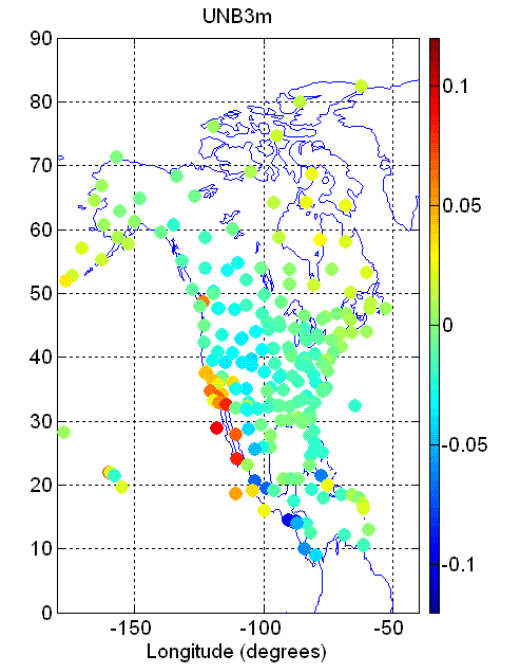
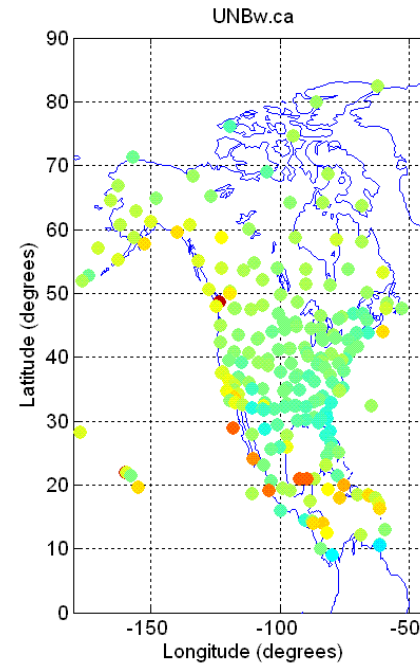
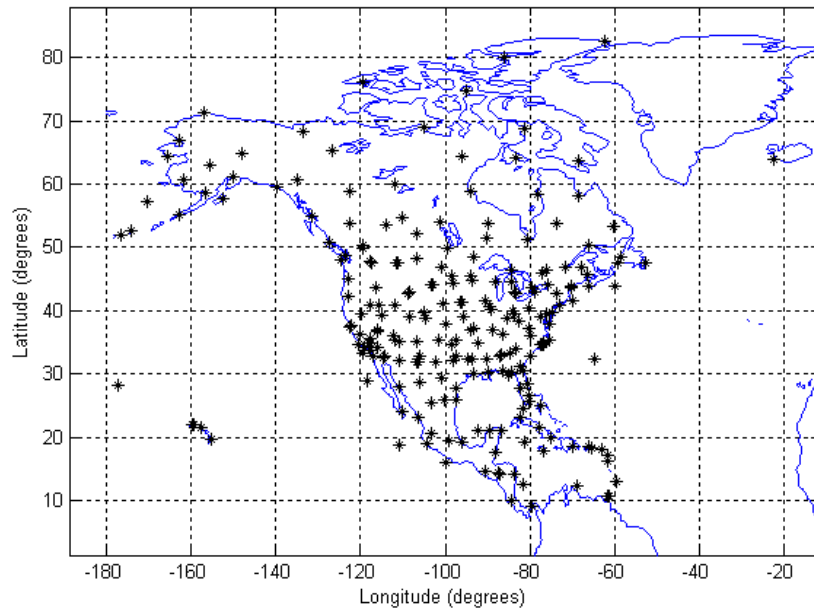
# UNBw.na model validation



- Surface meteorological parameters
  - 400 control meteorological stations
  - Surface temperature
  - MSL pressure
  - Surface water vapour pressure
- Zenith delays
  - Radiosonde -> ray-traced total zenith delays
- Comparison with UNB3m



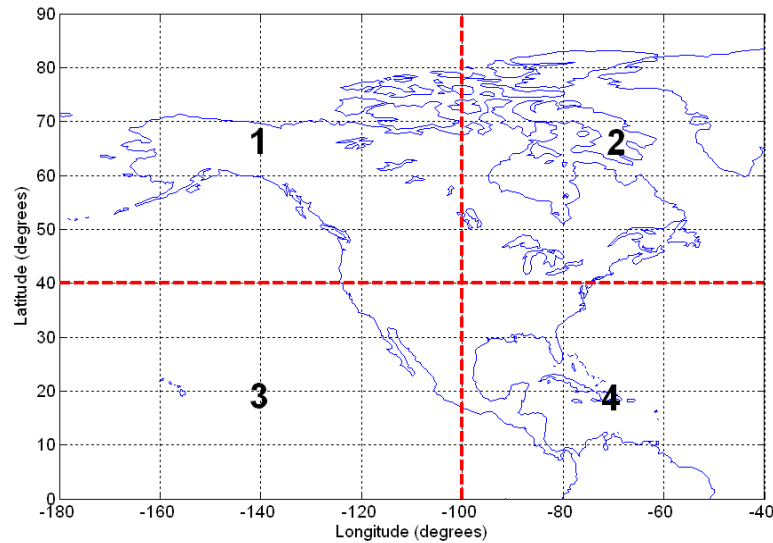
# Validation with radiosonde derived total zenith delays (701940 soundings)



	Bias (cm)	Std. Dev. (cm)	RMS (cm)
UNBw.na	3.6	44.8	45.0
UNB3m	-5.2	48.9	49.2



# Validation for regions



	UNBw.na			UNB3m		
Region	Bias	SD	RMS	Bias	SD	RMS
1	1.0	3.4	3.6	-0.9	3.5	3.7
2	0.4	4.1	4.1	0.5	4.3	4.3
3	0.6	4.4	4.4	0.2	5.7	5.7
4	-0.3	5.4	5.5	-1.3	5.6	5.8

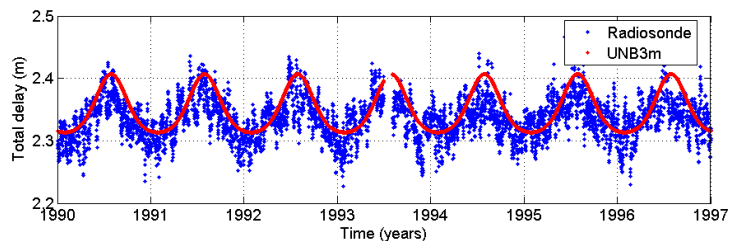
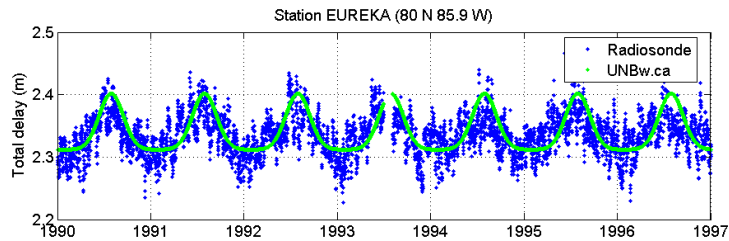
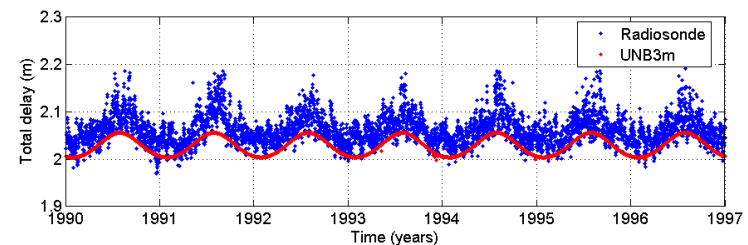
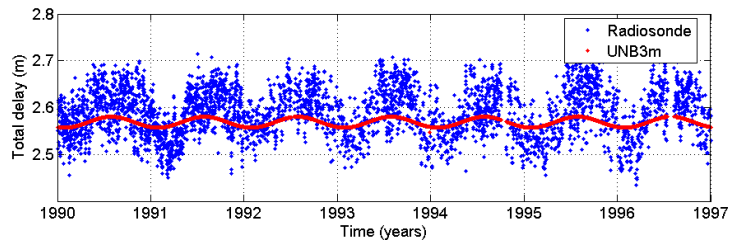
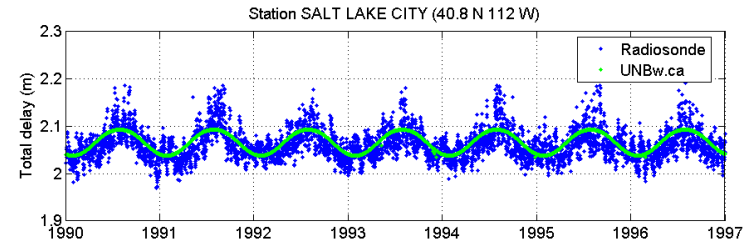
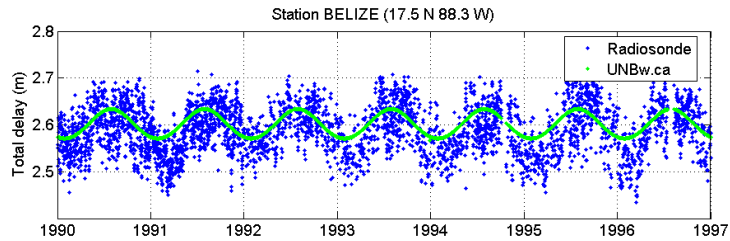
	UNBw.na		UNB3m	
Region	ab	ab-sd	ab	ab-sd
1	2.8	2.2	2.8	2.3
2	3.2	2.6	3.4	2.7
3	3.4	.9	4.5	3.6
4	4.5	3.2	4.7	3.4

ab: absolute biases (cm)

ab-sd: ab standard deviation (cm)



# Examples of improvement for sample stations



Station	UNBw.na (cm)		UNB3m (cm)	
	Bias	rms	Bias	rms
BELIZE	1.4	4.7	2.1	5.3
SALT LAKE CITY	0.5	2.6	-3.3	4.2
EUREKA	0.5	2.9	1.5	3.2





# Conclusions and Future Work



- Improvement in zenith delay estimations for regions where the performance of the old model was below average (up to 85 % in bias and 38 % in rms);
- UNBw.na is consistently better than UNB3m in several aspects. The adopted procedure for the grid calibration worked in an adequate way, resulting in a reliable model;
- Assimilation of atmosphere data for lapse rate and WVP height factor adequate calibration;
- Calibration for other regions (e.g. South America).



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# Wide Area Based Precise Point Positioning

Geodetic Research Laboratory  
Department of Geodesy and Geomatics Engineering  
University of New Brunswick  
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# Precise Point Positioning



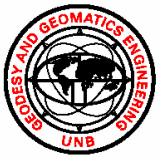
- Precise satellite orbits
- Precise satellite clocks
- Carrier-phase measurements
- Residual neutral atmosphere delay estimation
- Consider:
  - » APC variation
  - » Satellite antenna offset
  - » Tides
  - » Phase wind-up
  - » Relativistic effects
  - » Code biases
  - » (...)



# GAPS



- GAPS – GPS data Analysis and Positioning Software
- Precise Point Positioning
- Tools for data analysis and QC
- Static/Kinematic positioning
- Estimation of Neutral Atmosphere delays
- Support Wide Area PPP



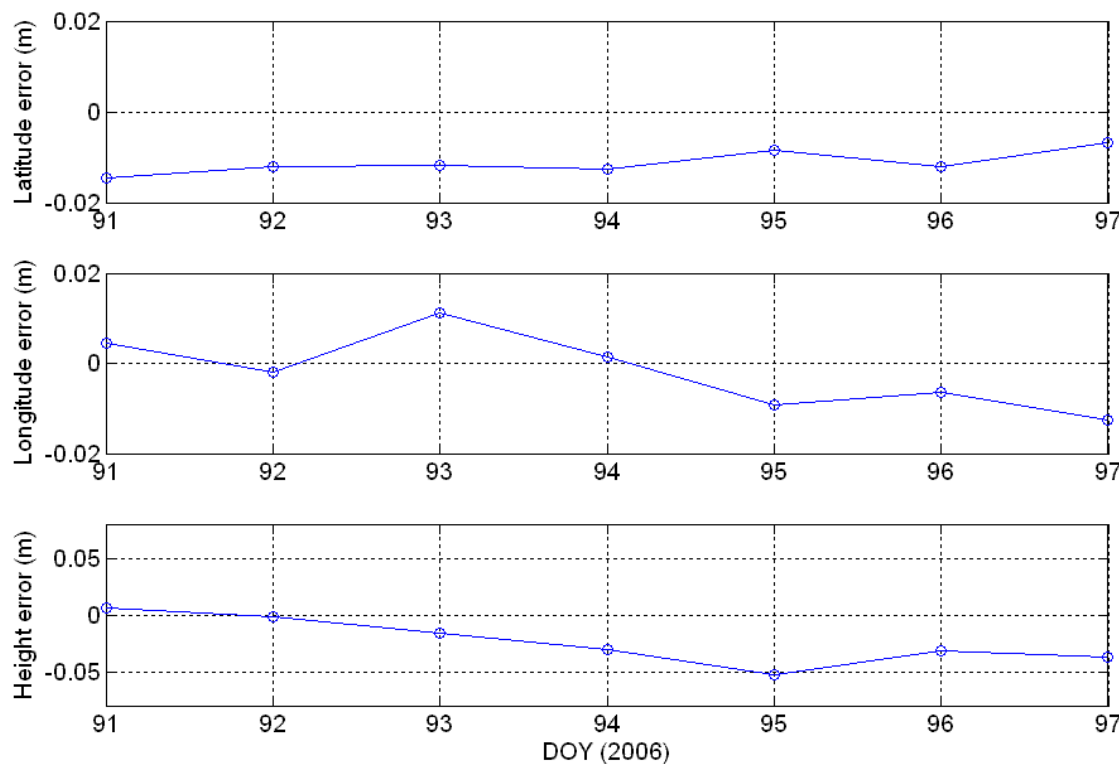
# GAPS – PPP Performance



UNB1 (former IGS station)

24 h data processing results – doy 91 to 97

Reference – IGS solution for the same week



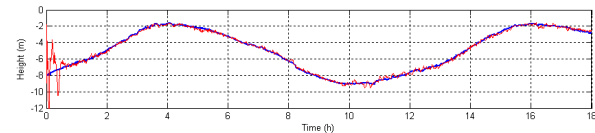
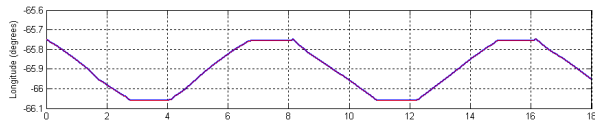
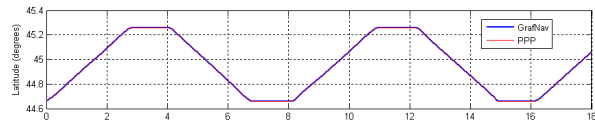
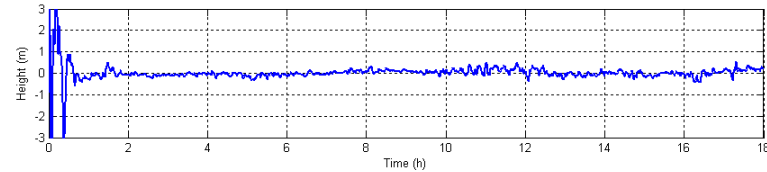
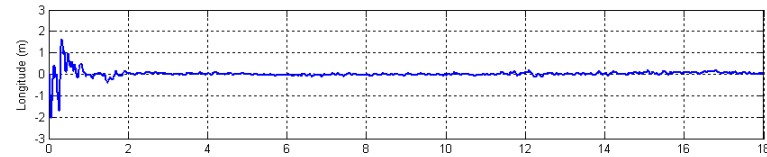
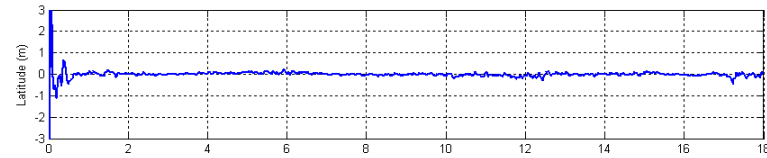
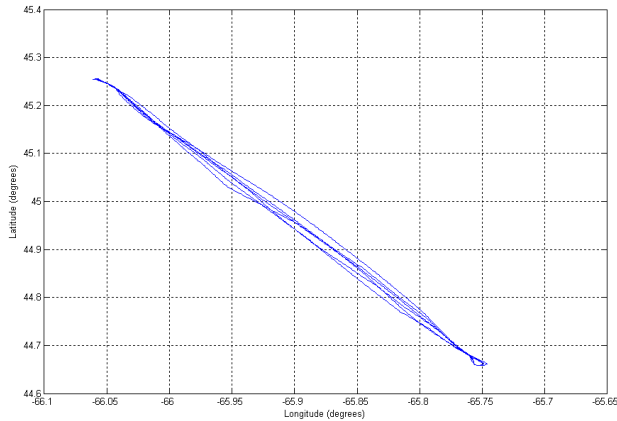
**RMS**  
Latitude: 1.15 cm  
Longitude: 0.79 cm  
Height: 3.01 cm



# GAPS – PPP Performance



## Kinematic positioning – Boat on Bay of Fundy Reference – GrafNav (baseline) Solution



RMS

Latitude: 6.9 cm

Longitude: 5.5 cm

Height: 13.9 cm



# Precise Point Positioning – Ambiguity Parameter



- Undifferenced observations
- Ionospheric free combination
- Ambiguity parameter estimation

$$P_{if} = \rho + c(dT - dt) + T$$

$$\phi_{if} = \rho + c(dT - dt) + T + \lambda_{if} N_{if}$$

$$\begin{array}{l} P_{if} = \alpha \cdot P_1 + \beta \cdot P_2 \quad \text{Not integer} \\ \phi_{if} = \alpha \cdot \phi_1 + \beta \cdot \phi_2 \\ N_{if} = \alpha \cdot N_1 + \beta \cdot N_2 \quad \text{Integer?} \end{array}$$

Diagram illustrating the ambiguity parameter estimation process. The equations show the combination of observations  $P_1, P_2$  and  $\phi_1, \phi_2$  to form  $P_{if}$  and  $\phi_{if}$ , and the combination of ambiguity parameters  $N_1, N_2$  to form  $N_{if}$ . Red boxes highlight  $\alpha$  and  $\beta$  in the first two equations, with red arrows pointing to "Not integer". Blue boxes highlight  $\alpha$  and  $\beta$  in the third equation, with a blue arrow pointing to "Not integer". Green circles highlight  $N_1$  and  $N_2$  in the third equation, with a green arrow pointing to "Integer?".



# Wide Area Precise Point Positioning



$$\phi = \rho + c(dT - dt) + T + \lambda N + \phi_r(t) - \phi^s(t) + b_r - b^s$$

→ “Ambiguity” parameter

$$\phi = \rho + c(dT - dt) + T - I + \lambda N + (\phi_r + b_r) - (\phi^s + b^s)$$

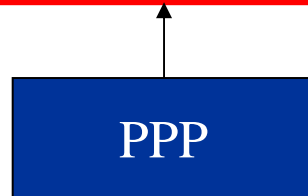
Integer Ambiguity

→ Receiver biases – handled at the receiver end

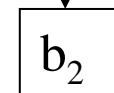
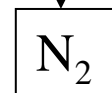
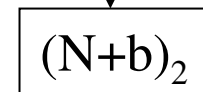
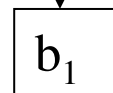
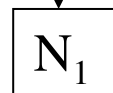
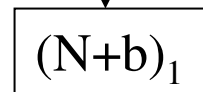
→ Satellite biases – handled by a wide area receiver network



$$\phi_r^s(t_r) = \boxed{\rho + c(dT - dt) + T} - I + \lambda N_r^s + \phi_r(t_r) - \phi^s(t_r) + b_r - b^s$$



$$\phi_r^s(t_r) = \boxed{-I} + \boxed{\lambda N_r^s + \phi_r(t_r) - \phi^s(t_r) + b_r - b^s}$$

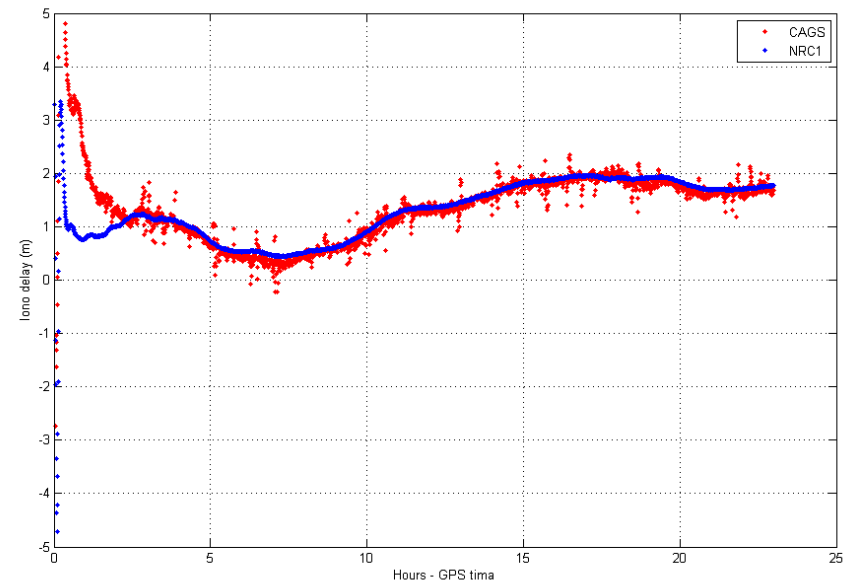
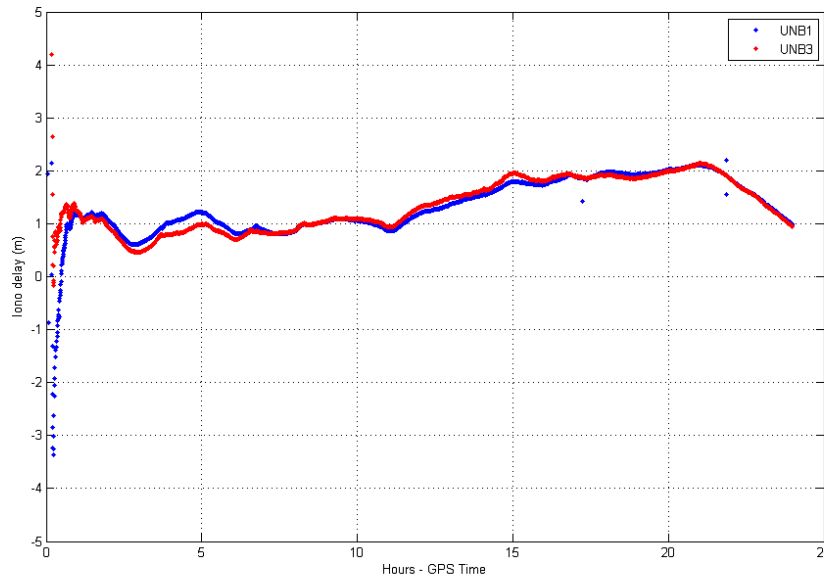




# DCF – Ionospheric delay



UNB1 and UNB3 - Two receivers sharing one antenna via splitter



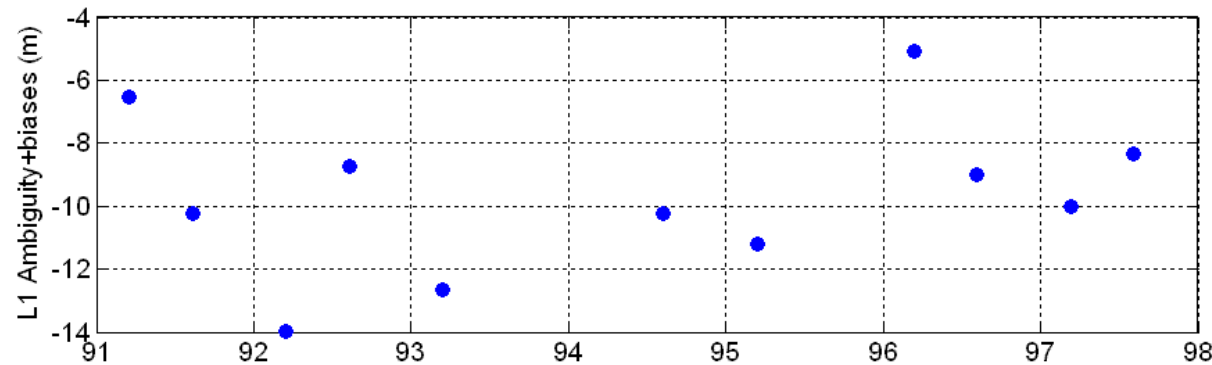
CAGS and NRC1 - Two stations (20 km distance)



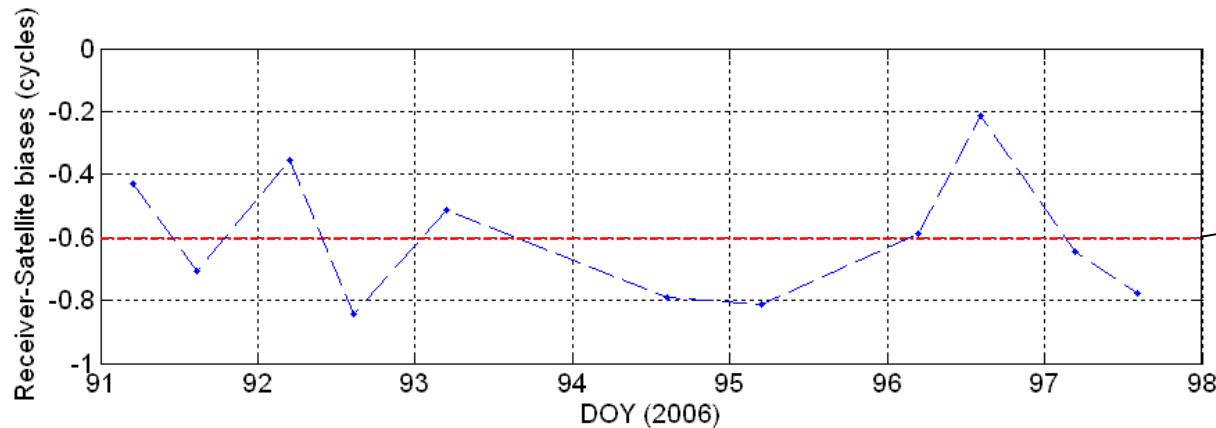
# L1 Fractional bias



UNB1 and PRN20 – DOY 91 to 97



Day-to-day repeatability of IGS stations' DCBs: 3 to 9 cm (Shaer, 1999)



3.9 cm  
-0.61 +/- 0.21 cycles



# Conclusions and Future work



- Good agreement between ionospheric delay estimation in nearby stations;
- Capability of estimating carrier-phase based, unbiased ionospheric delays;
- Good repeatability when estimating receiver-satellite differential fractional biases;
- De-correlation filter seems to work properly;
- Analysis with more data;
- Apply biases for isolated receiver after network step.